

Structural survey on enterprises in trade (wholesale-retail sale)

TYPE

Sampling survey

The enterprises included in the survey were stratified as follows:

- By region-NUTS II
- By 4-digit code economic activity
- By size class of the enterprises.

In each of the major strata (geography X economic activity), the enterprises were stratified into H=5 size strata, according to their size, determined by their annual turnover, as follows:

Class	Turnover description (amounts in Euros)		
1	1	Through	99.999,0
2	100.000,0	Through	399.999,0
3	400.000,0	Through	1.399.999,0
4	1.400.000,0	Through	4.999.999,0
5	5.000.000,0	Through	Highest

The enterprises belonging to size class 5 were surveyed exhaustively.

a. Symbols

Defining with index i the selection order of an enterprise from the sampling frame in the stratum h and symbolizing with the y one of the survey characteristics, we can define the following:

y_{hi} : The value of the survey characteristic y of the enterprise of order i in the stratum h

Y_h : The sum of the values of the characteristic y for all enterprises falling into the survey and belonging to the stratum h

Y : The sum of the values of the characteristic y for all enterprises

under the survey of the stratum h . That is: $Y = \sum_h Y_h$

N_h : The number of all enterprises falling into the survey and belonging to the stratum h

n_h : The sample size in the stratum h

m_h : The number of respondent units in the stratum h

r_h : Response rate in the stratum h ($r_h = \frac{m_h}{n_h}$)

w_{hi} : The extrapolation factor of the enterprise of order i belonging to the stratum h , ($w_{hi} = 1/(\text{Probability of selected unit } i \text{ in stratum } h)$)

$r^{-1} = \frac{N_h}{n_h} \cdot \frac{n_h}{m_h} = \frac{N_h}{m_h}$

b. Estimation process

The estimation of Y_h and Y is given by the following formulas:

$$\hat{Y}_h = \frac{N_h}{m_h} \sum_{i=1}^{m_h} y_{hi}$$

$$\hat{Y} = \sum_h \hat{Y}_h$$

c. Variance estimation

The variance estimation of \hat{Y}_h and \hat{Y} is given by:

$$V(\hat{Y}_h) = \frac{N_h(N_h - m_h)}{m_h} S_h^2,$$

Where:

$$S_h^2 = \frac{1}{m_h - 1} \left[\sum_{i=1}^{m_h} y_{hi}^2 - \frac{\left(\sum_{i=1}^{m_h} y_{hi} \right)^2}{m_h} \right],$$

$$V(\hat{Y}) = \sum_h V(\hat{Y}_h)$$

The coefficient of variation (%) of the total estimation \hat{Y} is given by:

$$CV(\hat{Y}) = \frac{\sqrt{V(\hat{Y})}}{\hat{Y}} * 100$$